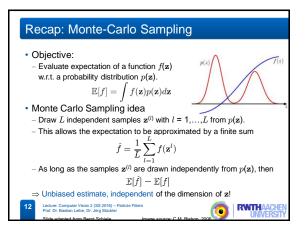


## Particle filtering

- Compared to Kalman Filters and their extensions
   Can represent any arbitrary distribution
  - Multimodal support
- Keep track of as many hypotheses as there are particles
- Approximate representation of complex model rather than exact representation of simplified model
- The basic building-block: Importance Sampling





## Monte Carlo Integration

We can use the same idea for computing integrals
 Assume we are trying to estimate a complicated integral of a function f over some domain D:

$$F = \int_D f(\vec{x}) d\vec{x}$$

– Also assume there exists some PDF p defined over  $D. \ensuremath{\mathsf{Then}}$ 

$$F = \int_D f(\vec{x}) d\vec{x} = \int_D \frac{f(\vec{x})}{p(\vec{x})} p(\vec{x}) d\vec{x}$$

- For any pdf 
$$p$$
 over  $D$ , the following holds  

$$\int_{D} \frac{f(\vec{x})}{p(\vec{x})} p(\vec{x}) d\vec{x} = E\left[\frac{f(\vec{x})}{p(\vec{x})}\right], x \sim p$$
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