

Language

RWTHAACHE UNIVERSI

- Official course language will be English > If at least one English-speaking student is present.
 - If not... you can choose,

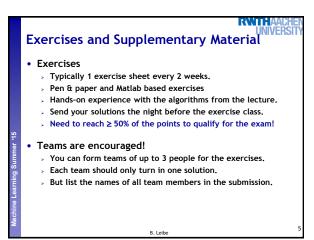
• However...

Please tell me when I'm talking too fast or when I should repeat something in German for better understanding!

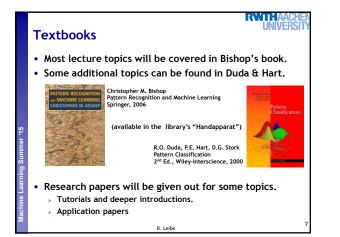
B. Leibe

- You may at any time ask questions in German!
- > You may turn in your exercises in German.
- > You may take the oral exam in German.

RA'N' E FAA Organization Structure: 3V (lecture) + 1Ü (exercises) 6 EECS credits Part of the area "Applied Computer Science" Place & Time Lecture: Tue 14:15 - 15:45 room UMIC 025 Lecture/Exercises: Thu 14:15 - 15:45 room UMIC 025 Exam Written exam > Towards the end of the semester, there will be a proposed date B. Leibe

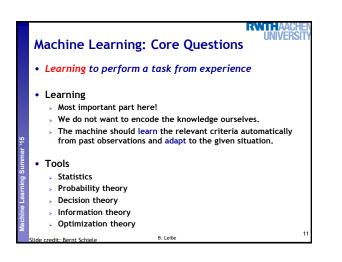


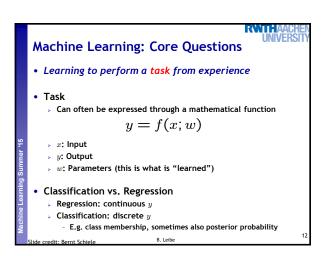


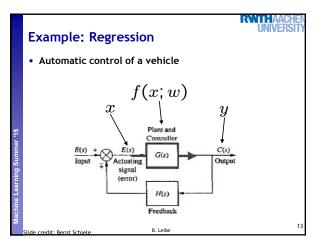


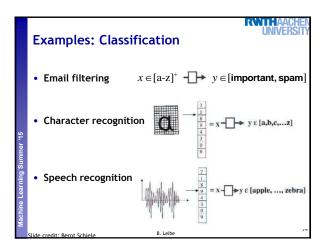


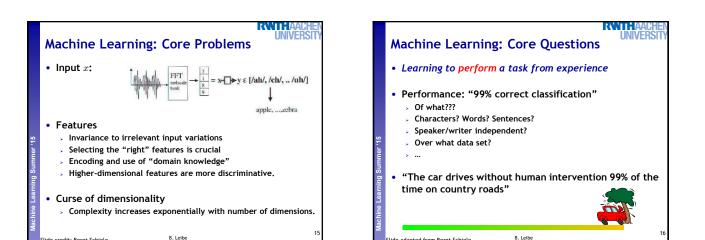
Machine Learning	Machine Learning
 Statistical Machine Learning Principles, methods, and algorithms for learning and prediction on the basis of past evidence 	 Goal Machines that learn to perform a task from experience
 Already everywhere Speech recognition (e.g. speed-dialing) Computer vision (e.g. face detection) Hand-written character recognition (e.g. letter delivery) Information retrieval (e.g. image & video indexing) Operation systems (e.g. caching) Fraud detection (e.g. credit cards) Text filtering (e.g. email spam filters) Game playing (e.g. strategy prediction) 	 Why? Crucial component of every intelligent/autonomous system Important for a system's adaptability Important for a system's generalization capabilities Attempt to understand human learning
Robotics (e.g. prediction of battery lifetime)	Slide credit: Bernt Schiele B. Leibe 1

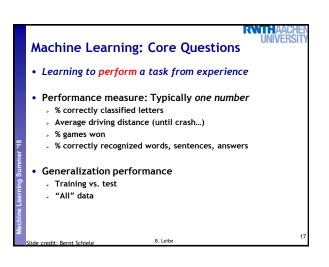


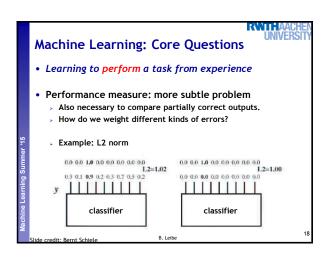


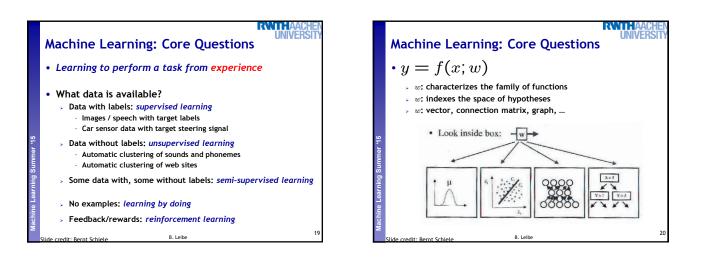


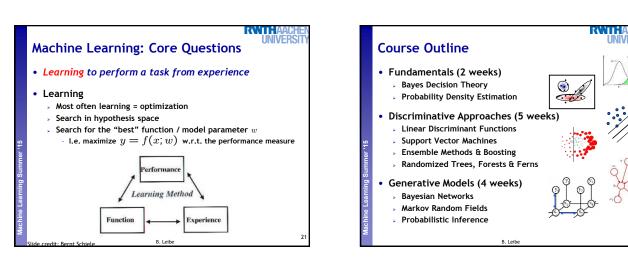


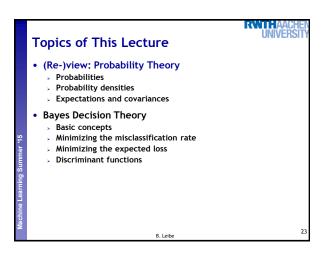


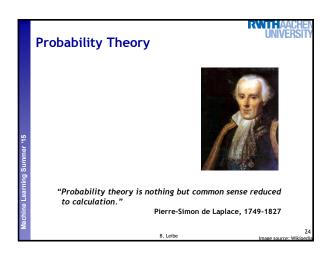


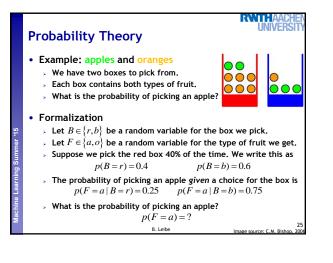


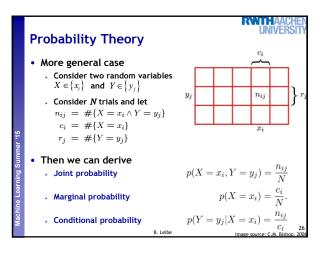


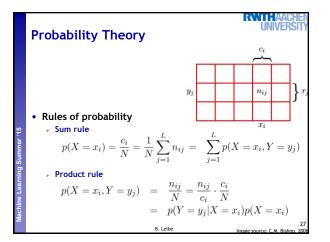


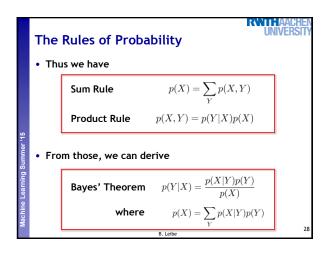


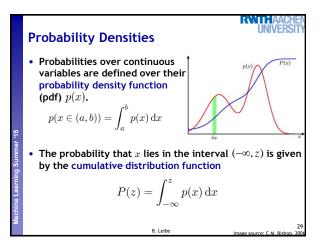


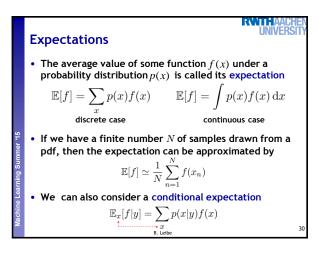


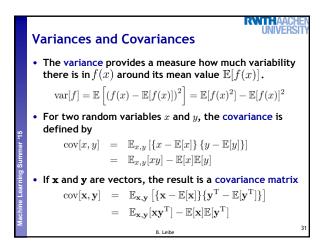


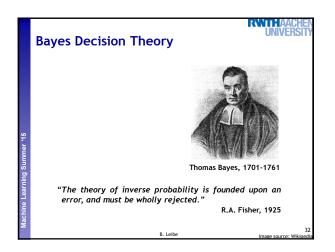


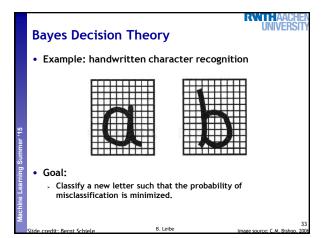


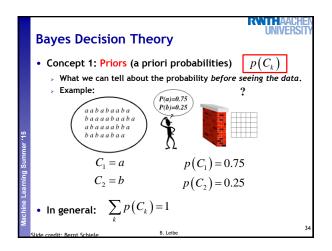


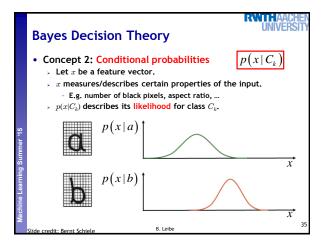


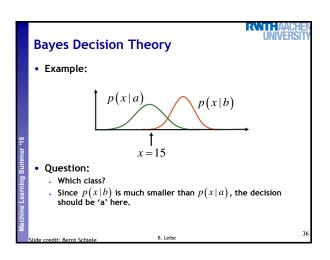


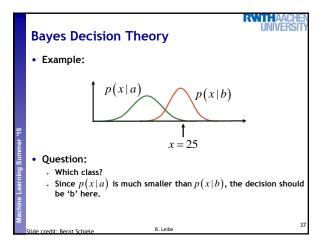


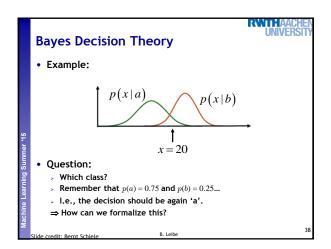


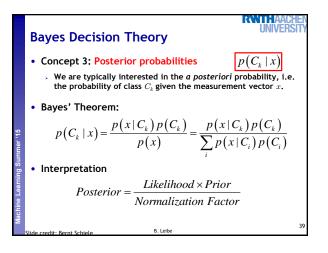


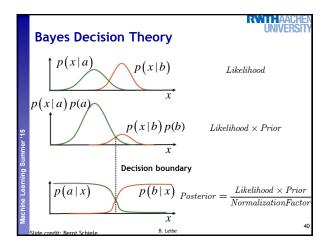


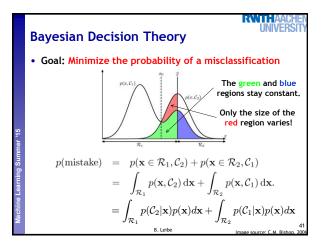


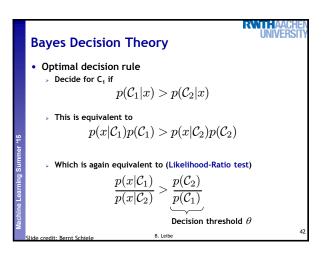


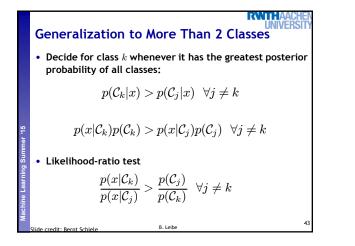


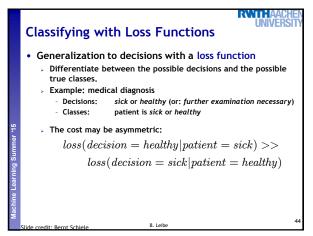


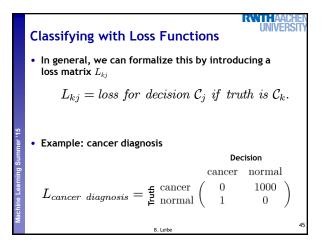


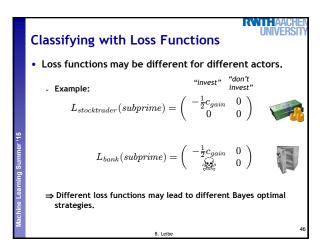














Solution: Minimize the expected loss

E

$$\mathbb{E}[L] = \sum_{k} \sum_{j} \int_{\mathcal{R}_{j}} L_{kj} p(\mathbf{x}, \mathcal{C}_{k}) \, \mathrm{d}\mathbf{x}$$

• This can be done by choosing the regions \mathcal{R}_j such that

$$L] = \sum_{k} L_{kj} p(\mathcal{C}_k | \mathbf{x})$$

which is easy to do once we know the posterior class probabilities $p(\mathcal{C}_k|\mathbf{x})$.

B. Leibe

 $\begin{array}{c} \textbf{Winimizing the Expected Loss} \\ \textbf{Minimizing the Expected Loss} \\ \textbf{I} Example: \\ & 2 \ Classes: \ C_i, \ C_2 \\ & 2 \ Decision: \ \alpha_i, \ \alpha_2 \\ & 2 \ Decision: \ \alpha_i, \ \alpha_2 \\ & 2 \ Decision: \ L(\alpha_j | \mathcal{C}_k) = L_{kj} \\ & \text{Expected loss (= risk R) for the two decisions: \\ & \mathbb{E}_{\alpha_1}[L] = R(\alpha_1 | \mathbf{x}) = L_{11}p(\mathcal{C}_1 | \mathbf{x}) + L_{21}p(\mathcal{C}_2 | \mathbf{x}) \\ & \mathbb{E}_{\alpha_2}[L] = R(\alpha_2 | \mathbf{x}) = L_{12}p(\mathcal{C}_1 | \mathbf{x}) + L_{22}p(\mathcal{C}_2 | \mathbf{x}) \\ & \text{I.e. decide such that expected loss is minimized} \\ & \text{I.e. decide } \alpha_i \ \text{if } R(\alpha_2 | \mathbf{x}) > R(\alpha_1 | \mathbf{x}) \end{array}$

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